

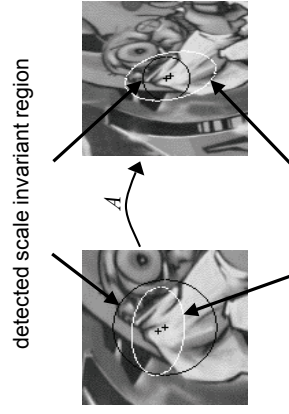
Affine invariant interest points/regions

Overview

- Motivation
- Affine invariant points/regions detectors
 - Harris-Affine, Hessian-Affine, Laplacian-Affine
 - Maximally stable extremal regions
 - Intensity & edge based regions
 - Entropy-based regions

Affine invariant regions - Motivation

- Scale invariance is not sufficient for large baseline changes

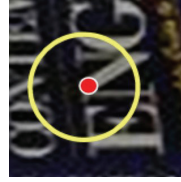
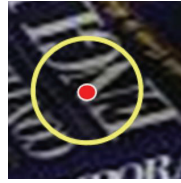


projected regions, viewpoint changes can locally be approximated by an affine transformation A

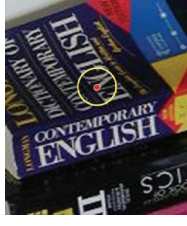
Affine invariant regions - Motivation



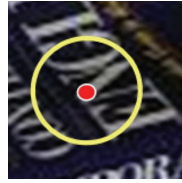
Affine invariant regions - Motivation



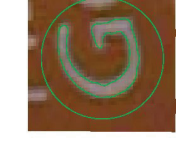
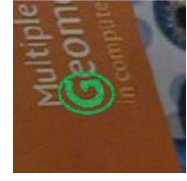
Affine invariant regions - Motivation



Affine invariant regions - Motivation



Affine invariant regions - Example



State of the art

- Harris-Affine (Mikolajczyk and Schmid'02, Scharfilitzky and Zisserman'02)
- Hessian-Affine / Laplacian-Affine (Mikolajczyk and Schmid'02)
- Maximally stable extremal regions (MSER) (Matas et al. '02)
- Intensity based regions (IBR) (Tuytelaars and Van Gool'00)
- Edge based regions (EBR) (Tuytelaars and Van Gool'00)
- Entropy-based regions (salient regions) (Kadir et al. '04)

Harris/Hessian/Laplacian-Affine

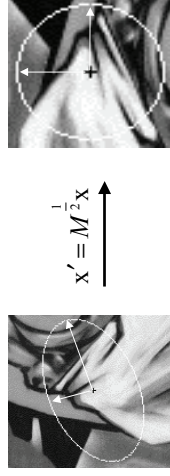
- Initialize with scale-invariant Harris/Hessian/Laplacian points
- Estimation of the affine neighbourhood with the second moment matrix
- Also possible to initialize with multi-scale points and estimate location, scale and affine region iteratively

Affine invariant regions - Theory

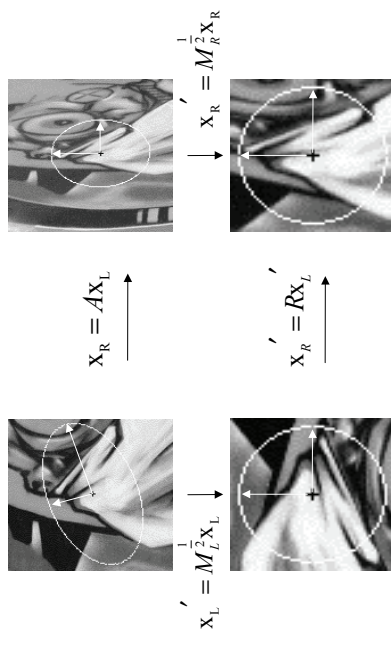
- Based on the second moment matrix (Lindeberg'94)

$$M = \mu(\mathbf{x}, \sigma_x, \sigma_y) = \sigma_y^2 G(\sigma_x) \otimes \begin{bmatrix} L_x^2(\mathbf{x}, \sigma_x) & L_x L_y(\mathbf{x}, \sigma_x) \\ L_x L_y(\mathbf{x}, \sigma_x) & L_y^2(\mathbf{x}, \sigma_x) \end{bmatrix}$$

- Normalization with eigenvalues/eigenvectors

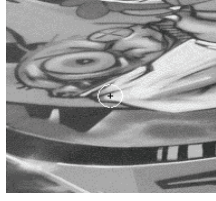


Affine invariant regions - Theory



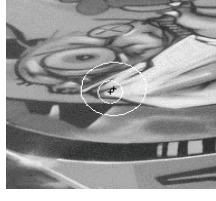
Affine invariant regions - Estimation

- Iterative estimation – initial points



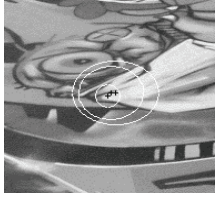
Affine invariant regions - Estimation

- Iterative estimation – iteration #1



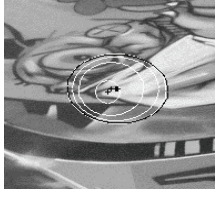
Affine invariant regions - Estimation

- Iterative estimation – iteration #2



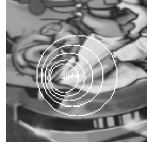
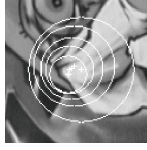
Affine invariant regions - Estimation

- Iterative estimation – iteration #3, #4

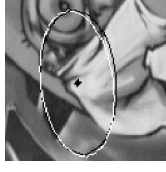


Harris-Affine

- Initialization with multi-scale interest points
- Iterative modification of location, scale and neighborhood



Harris-Affine versus Harris-Laplace

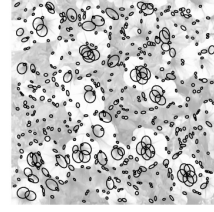
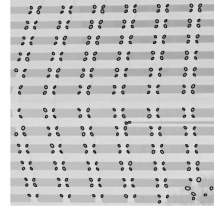


Harris-Affine



Harris-Laplace

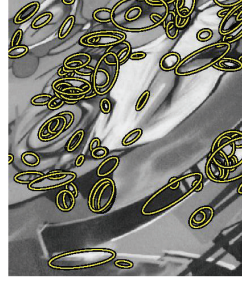
Harris/Laplace-Affine



Harris-Affine

Laplace-Affine

Harris-Affine



Hessian-Affine

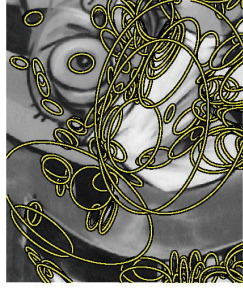
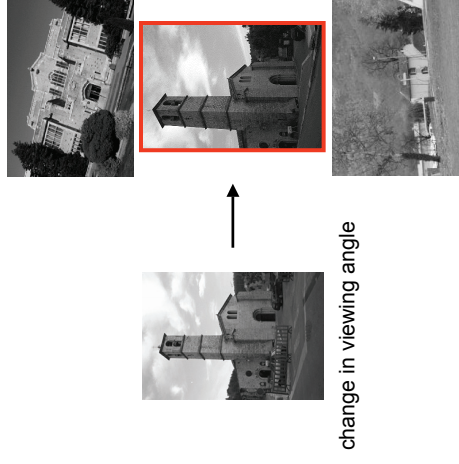


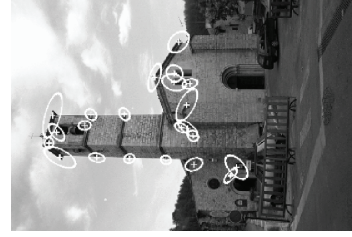
Image retrieval



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> 5000
images

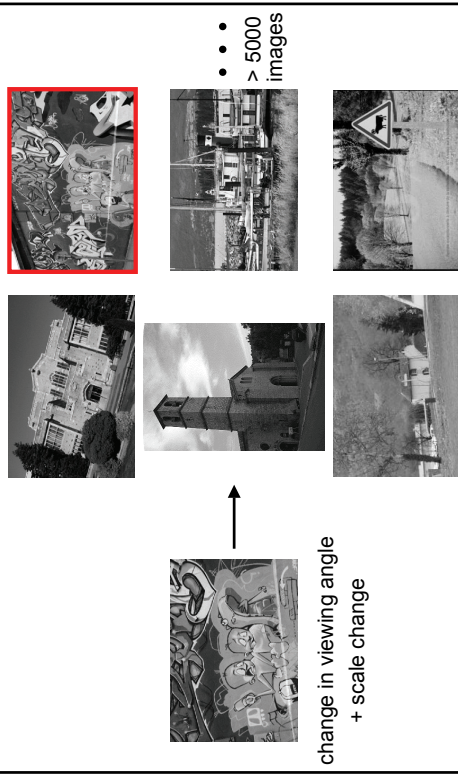
change in viewing angle

Matches



22 correct matches

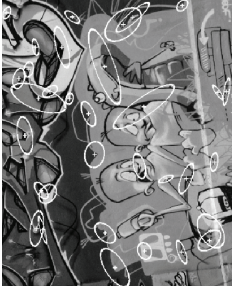
Image retrieval



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images

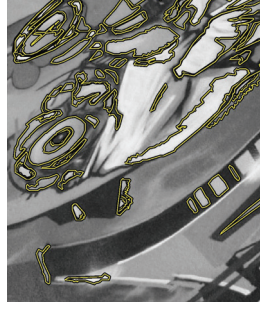
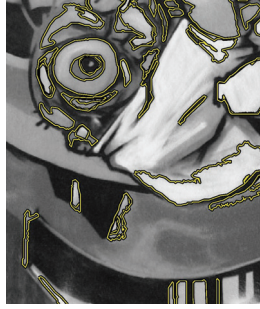
change in viewing angle
+ scale change

Matches



33 correct matches

MSER

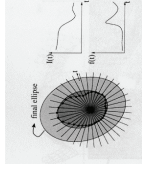
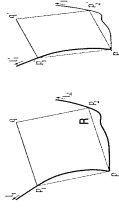


Maximally stable extremal regions (MSER) [Matas'02]

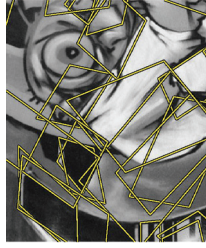
- Extremal regions: connected components in a thresholded image (all pixels above/below a threshold)
- Maximally stable: minimal change of the component (area) for a change of the threshold, i.e. region remains stable for a change of threshold

EBR & IBR affine invariant regions

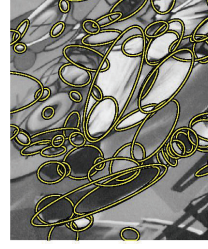
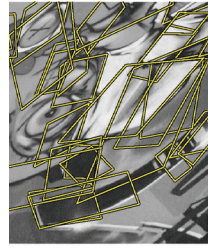
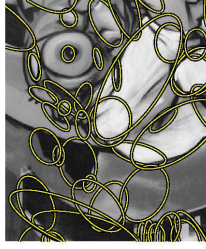
- Edge-based regions (Tuytelaars et al.'00)
 - parallelogram formed by interest points and edges
- Intensity extrema-based regions (Tuytelaars et al.'00)
 - ellipses fitted to intensity maxima



EBR



IBR



Salient regions [Kadir'04]

- Entropy of the distribution of the intensity values computed over an ellipse
- Extremal regions over three parameter family of ellipses
- Ordering by the derivative of the distribution with respect to scale

Salient regions

