

# Lexical Event Ordering with an Edge-Factored Model

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# Introduction: Lexical Event Ordering

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Temporal lexical knowledge is useful for:

- Textual entailment
- Information extraction
- Tense and modality analysis
- Knowledgebase induction
- Question answering

We study a simple problem: lexical event ordering

## Related Work

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Temporal relations between predicates (Chklovski and Pantel, 2004; Talukdar et al., 2012; Modi and Titov, 2014)

Binary classification of permutations (Chambers and Jurfasky, 2008; Manshadi et al., 2008)

Temporal lexicons (Regneri et al., 2010)

Finding stereotypical event order (Modi and Titov, 2014)

### **This paper:**

- Conceptually simple model and inference
- Can include rich features in the learning problem
- General model – can be used for other ordering problems (causality)
- Mostly relies on lexical information

# Outline of this Talk

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Problem definition

Getting the data

Model

Inference and Learning

Experiments

Conclusion

# Lexical Event Ordering

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What is an event? `predicate` (`arguments`)

Example of bag of events:

- `turned` (`John`, `keys`)
- `checked` (`John`, `rear-window`)
- `turnedOn` (`John`, `airCond`)
- `entered` (`John`, `car`)

# Lexical Event Ordering

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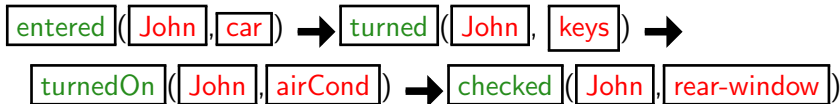
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What is an event? `predicate` (`arguments`)

Example of bag of events:

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Example of temporal ordering:





# Getting the Data

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Wanted to avoid annotating data

Needed text where temporal order extraction is easy

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# Preparing Recipes

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Downloaded 73K recipes from the web

Parsed them using the Stanford parser

Verb with its arguments is an event

The devil is in the details. See paper

**The dataset is available online:** <http://bit.ly/1Ge8wjj>

Example:

*"you should begin to chop the onion"*: chop(you, onion)

## Example Recipe

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Butter a deep baking dish

butter ( dish )

Put apples, water, flour, sugar  
and cinnamon in it

put ( apples, water, flour,  
cinnamon, it )

Mix with spoon

mix ( with spoon )

... and spread butter and salt  
over the apple mix

spread ( butter, salt,  
over mix )

Bake at 350 degrees F until the  
apples are tender and the crust  
brown, about 30 minutes

bake ( F )

Serve with cream or whipped  
cream

serve ( cream, cream )

**A recipe for “Apple Crisp Ala [sic] Brigitte”**

# Cooking Recipes and Temporal Order

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Examined 20 recipes (353 events)

13 events did not have a clear temporal ordering

Cases of mismatch mostly covered by:

- Disjunction:  
*“roll Springerle pin over dough, or press mold into top”*
- Reverse order:  
*“place on greased and floured cookie sheet”*

Average Kendall Tau between temporal ordering and linear one: 0.92

# An Ordering Edge-Factored Model

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Represent all events in a recipe as a weighted complete graph

Each edge  $(e_1, e_2)$  is scored with a weight  $w(e_1, e_2)$

The larger the weight  $w(e_1, e_2)$ , the more likely event  $e_1$  to precede  $e_2$

A temporal ordering is a Hamiltonian path  $p$  in that graph

The score of a path:

$$\text{score}(p) = \sum_{(e_i, e_j) \in p} w(e_i, e_j)$$

# An Ordering Edge-Factored Model

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The edge weights are parametrized by  $\theta \in \mathbb{R}^m$ :

$$w(e_1, e_2) = \sum_{i=1}^m \theta_i f_i(e_1, e_2)$$

Features:

- Combinations of predicates and arguments of  $e_1$  and  $e_2$
- Combinations of their Brown clusters
- Point-wise mutual information between predicates and arguments

# Learning the Model

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To do learning, we need

## **An inference algorithm**

- Find the highest scoring Hamiltonian path
- An NP-hard problem
- No triangle inequality – even approximation is hard
- Used Integer Linear Programming

## **An estimation algorithm for $\theta$**

- Used the Perceptron algorithm



# Integer Linear Programming Inference

$$\max_{u_i \in \mathbb{Z}, z_{ij} \in \{0,1\}} \sum_{i \neq j}^n w(e_i, e_j) z_{ij}$$

$$\text{such that} \quad \sum_{i=1}^n z_{ij} = 1 \quad \forall i$$

$$\sum_{j=1}^n z_{ij} = 1 \quad \forall j$$

$$u_j - u_i \geq 1 - n(1 - z_{ij}) \quad \forall(i, j)$$

Interpretation:

- $z_{ij}$  – is  $(e_i, e_j) \in p$ ?
- $u_i$  – number of edges between start to  $e_i$  in  $p$

## Edge-Factored Estimation

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Also experimented with a conditional log-linear model

It scores the probability  $p(e_2|e_1)$

Induces a Markovian model over Hamiltonian paths

Trained using log-likelihood maximization

Greedy decoding is better than global decoding

# Features and Evaluation

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## Features:

Frequency features - estimated from “unlabeled” corpus

Lexical features

Brown cluster features

Linkage frequency: joint occurrence with temporal discourse connective

**Evaluation:** To compare two Hamiltonian paths:

- Count the number of “concordant pairs” (or tuples)
- Divide by the total number of pairs

In addition, we also checked the fraction of exact match

# Feature Inspection

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We used two ILP time budgets: 5 seconds and 30 seconds

4K training data

Results on dev set with perceptron:

Budget	Features	Pair-accuracy	Exact
30 secs	Frequency	68.7	31.7
	Frequency + Lexical	<b>68.9</b>	<b>32.1</b>
	Frequency + Lexical + Brown	68.4	31.8
5 secs	Frequency	65.9	30.4
	Frequency + Lexical	66.2	30.7
	Frequency + Lexical + Brown	66.3	30.4

# Final Results

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Random baseline: 50% (0.5% exact)

Train size	Method	Pair-accuracy	Exact
4K	Perceptron (30 secs)	<b>71.2</b>	<b>35.1</b>
	Greedy Perceptron	60.8	20.4
	Greedy Log-linear	65.6	21.0
58K	Perceptron (5 secs)	68.9	34.4
	Greedy Perceptron	60.7	20.5
	Greedy Log-linear	66.3	21.3

Global model better than local log-linear model

Budget is more important than train size

PMI features were trained on 58K instances

# Summary and Future Work

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## Summary:

- Showed what the lexical event temporal ordering problem is
- Described a domain in which data is easy to get
- Used structured prediction to solve the problem
- Method can be used for general ordering problems (causality, etc.)

## Future Work:

- Future work: improved inference
- Different domains