INFR10086 Machine Learning (MLG)

Semester 2, 2023/4

Tutorial 3: PyTorch

```
import torch
from torch import nn
ce = nn.CrossEntropyLoss(reduction='sum')
x_i = torch.tensor([1.0, 2.0, 3.0])
w = torch.tensor([[4.0, 5.0, 6.0], [7.0, 8.0, 9.0]], requires_grad=True)
y_i = torch.tensor(1)
loss = ce(w @ x_i, y_i)
print(loss)
```

For the code above, w would predict 1 given x_i , regardless of what y_i is. The variable y_i is the label we assign to x_i . If the prediction of w agrees with y_i (when they both are 1), then the loss should be low, so it's no surprise that the loss is close to 0.

Because the dot product for class 0 is 32 and the dot product for class 1 is 50, the gap is so large that $\exp(32 - 50)$ is a tiny number. As a consequence, $1/(1 + \exp(32 - 50))$ is very close to 1, and $-\log(1)$ is 0.

```
import torch
from torch import nn
w = nn.Linear(3, 2)
print(list(w.parameters()))
```

The above code gives different values every time you run it, because PyTorch initializes a new set of parameters every time. Initialization plays a big role in training deep networks. Sometimes different layer types even have different initialization strategies.

When you run the above code, you will see that nn.Linear includes a weight matrix and a bias vector. Technically, it really should be an affine layer rather than linear.

```
import torch
from torch import nn
from torch import optim

ce = nn.CrossEntropyLoss(reduction='sum')
w = nn.Linear(3, 2)
opt = optim.SGD(w.parameters(), lr=0.1)

for i in range(20):
    opt.zero_grad()

    # fake data
```

```
x_i = torch.rand(3)
y_i = torch.tensor(i % 2)
loss = ce(w(x_i), y_i)
print(loss)
loss.backward()
```

opt.step()

The step size is 0.1 as specified in lr. In PyTorch and the deep learning community, the step size is often called the learning rate.

The line zero_grad() is critical as it clears any gradient on the graph. If you forget to zero_grad(), the gradients accumulate and you'd be optimizing towards the wrong direction.