

Lexical Event Ordering with an Edge-Factored Model

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June 2, 2015

Introduction: Lexical Event Ordering

Temporal lexical knowledge is useful for:

- Textual entailment
- Information extraction
- Tense and modality analysis
- Knowledgebase induction
- Question answering

We study a simple problem: lexical event ordering

Related Work

Temporal relations between predicates (Chklovski and Pantel, 2004; Talukdar et al., 2012; Modi and Titov, 2014)

Binary classification of permutations (Chambers and Jurfasky, 2008; Manshadi et al., 2008)

Temporal lexicons (Regneri et al., 2010)

Finding stereotypical event order (Modi and Titov, 2014)

This paper:

- Conceptually simple model and inference
- Can include rich features in the learning problem
- General model – can be used for other ordering problems (causality)
- Mostly relies on lexical information

Outline of this Talk

Problem definition

Getting the data

Model

Inference and Learning

Experiments

Conclusion

Lexical Event Ordering

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Example of bag of events:

- `turned` (`John`, `keys`)
- `checked` (`John`, `rear-window`)
- `turnedOn` (`John`, `airCond`)
- `entered` (`John`, `car`)

Lexical Event Ordering

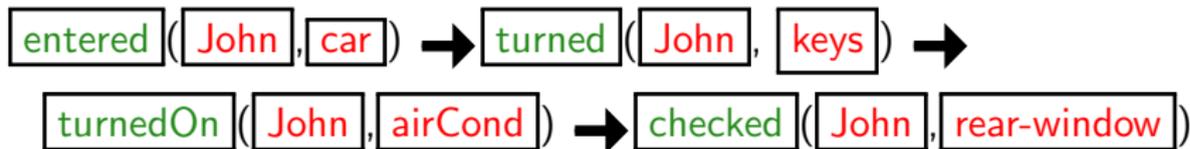
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Example of bag of events:

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Example of temporal ordering:



Getting the Data

Wanted to avoid annotating data

Needed text where temporal order extraction is easy

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Preparing Recipes

Downloaded 73K recipes from the web

Parsed them using the Stanford parser

Verb with its arguments is an event

The devil is in the details. See paper

The dataset is available online: <http://bit.ly/1Ge8wjj>

Example:

"you should begin to chop the onion": chop(you, onion)

Example Recipe

Butter a deep baking dish

butter (dish)

Put apples, water, flour, sugar
and cinnamon in it

put (apples, water, flour,
cinnamon, it)

Mix with spoon

mix (with spoon)

... and spread butter and salt
over the apple mix

spread (butter, salt,
over mix)

Bake at 350 degrees F until the
apples are tender and the crust
brown, about 30 minutes

bake (F)

Serve with cream or whipped
cream

serve (cream, cream)

A recipe for “Apple Crisp Ala [sic] Brigitte”

Cooking Recipes and Temporal Order

Examined 20 recipes (353 events)

13 events did not have a clear temporal ordering

Cases of mismatch mostly covered by:

- Disjunction:
“roll Springerle pin over dough, or press mold into top”
- Reverse order:
“place on greased and floured cookie sheet”

Average Kendall Tau between temporal ordering and linear one: 0.92

An Ordering Edge-Factored Model

Represent all events in a recipe as a weighted complete graph

Each edge (e_1, e_2) is scored with a weight $w(e_1, e_2)$

The larger the weight $w(e_1, e_2)$, the more likely event e_1 to precede e_2

A temporal ordering is a Hamiltonian path p in that graph

The score of a path:

$$\text{score}(p) = \sum_{(e_i, e_j) \in p} w(e_i, e_j)$$

An Ordering Edge-Factored Model

The edge weights are parametrized by $\theta \in \mathbb{R}^m$:

$$w(e_1, e_2) = \sum_{i=1}^m \theta_i f_i(e_1, e_2)$$

Features:

- Combinations of predicates and arguments of e_1 and e_2
- Combinations of their Brown clusters
- Point-wise mutual information between predicates and arguments

Learning the Model

To do learning, we need

An inference algorithm

- Find the highest scoring Hamiltonian path
- An NP-hard problem
- No triangle inequality – even approximation is hard
- Used Integer Linear Programming

An estimation algorithm for θ

- Used the Perceptron algorithm

Integer Linear Programming Inference

$$\max_{u_i \in \mathbb{Z}, z_{ij} \in \{0,1\}} \sum_{i \neq j}^n w(e_i, e_j) z_{ij}$$

$$\text{such that} \quad \sum_{i=1}^n z_{ij} = 1 \quad \forall i$$

$$\sum_{j=1}^n z_{ij} = 1 \quad \forall j$$

$$u_j - u_i \geq 1 - n(1 - z_{ij}) \quad \forall(i, j)$$

Interpretation:

- z_{ij} – is $(e_i, e_j) \in p$?
- u_i – number of edges between start to e_i in p

Edge-Factored Estimation

Also experimented with a conditional log-linear model

It scores the probability $p(e_2|e_1)$

Induces a Markovian model over Hamiltonian paths

Trained using log-likelihood maximization

Greedy decoding is better than global decoding

Features and Evaluation

Features:

Frequency features - estimated from “unlabeled” corpus

Lexical features

Brown cluster features

Linkage frequency: joint occurrence with temporal discourse connective

Evaluation: To compare two Hamiltonian paths:

- Count the number of “concordant pairs” (or tuples)
- Divide by the total number of pairs

In addition, we also checked the fraction of exact match

Feature Inspection

We used two ILP time budgets: 5 seconds and 30 seconds

4K training data

Results on dev set with perceptron:

Budget	Features	Pair-accuracy	Exact
30 secs	Frequency	68.7	31.7
	Frequency + Lexical	68.9	32.1
	Frequency + Lexical + Brown	68.4	31.8
5 secs	Frequency	65.9	30.4
	Frequency + Lexical	66.2	30.7
	Frequency + Lexical + Brown	66.3	30.4

Final Results

Random baseline: 50% (0.5% exact)

Train size	Method	Pair-accuracy	Exact
4K	Perceptron (30 secs)	71.2	35.1
	Greedy Perceptron	60.8	20.4
	Greedy Log-linear	65.6	21.0
58K	Perceptron (5 secs)	68.9	34.4
	Greedy Perceptron	60.7	20.5
	Greedy Log-linear	66.3	21.3

Global model better than local log-linear model

Budget is more important than train size

PMI features were trained on 58K instances

Summary and Future Work

Summary:

- Showed what the lexical event temporal ordering problem is
- Described a domain in which data is easy to get
- Used structured prediction to solve the problem
- Method can be used for general ordering problems (causality, etc.)

Future Work:

- Future work: improved inference
- Different domains